

# Estimating detectability in population assessments

Rachel McCrea



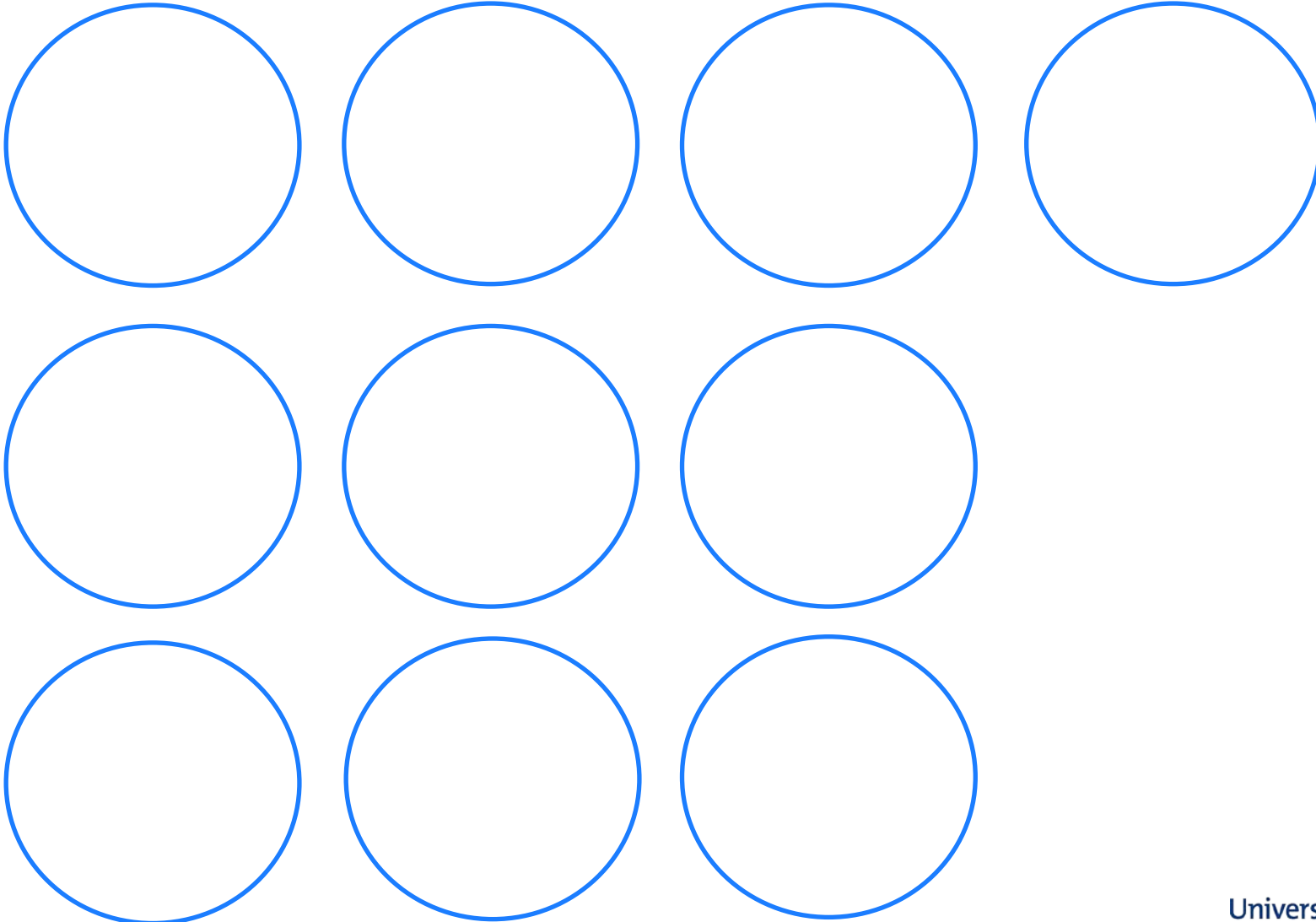
# Overview

- Types of data
- Occupancy models
- Advanced occupancy models
- Related models

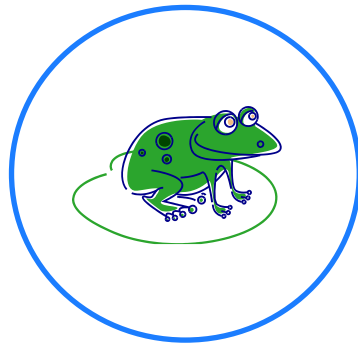
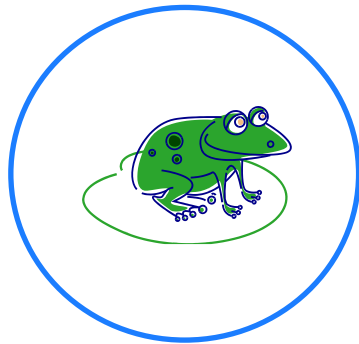
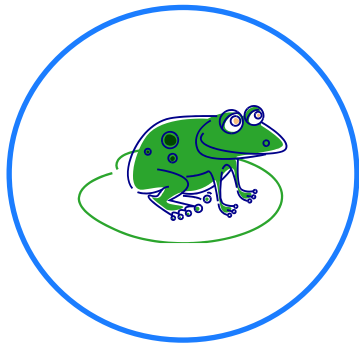
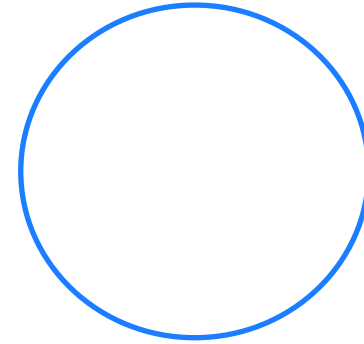
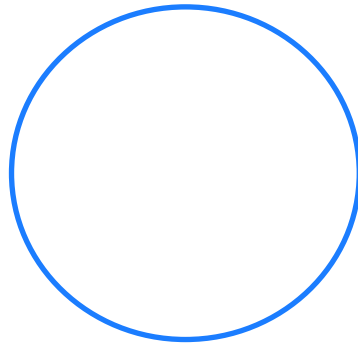
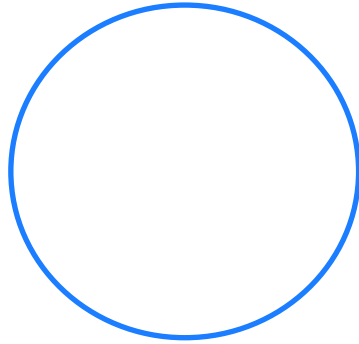
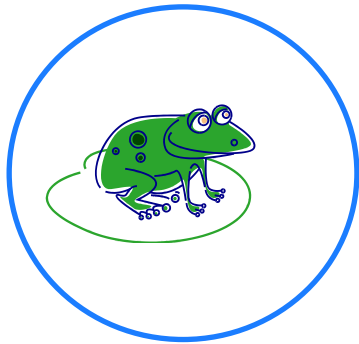
# Data collection

- Capture-mark-recapture relies on individual identification and capture/re-sighting of animals
- Not possible for some species
- Alternative data collection:
  - Presence/absence

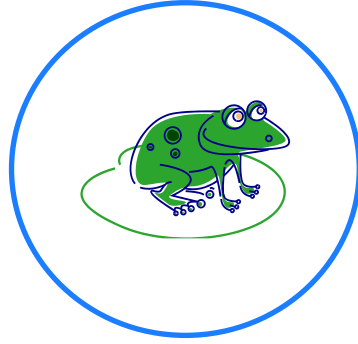
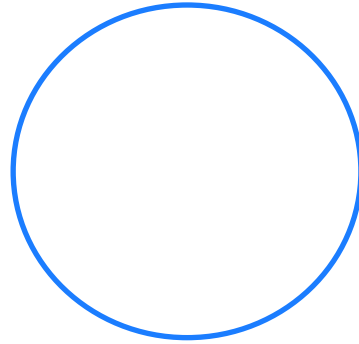
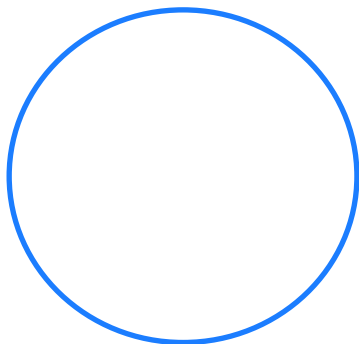
# Do we need to account for detectability?



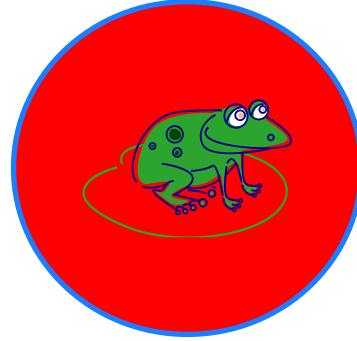
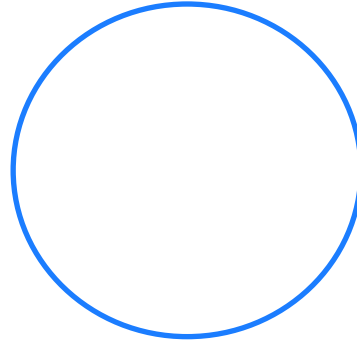
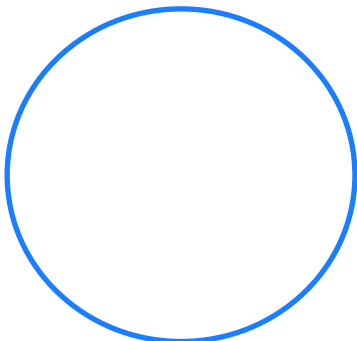
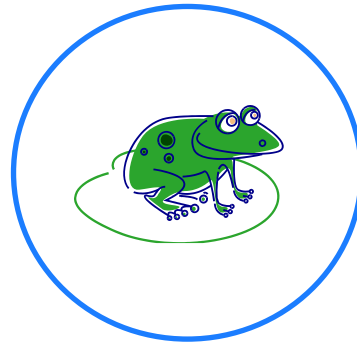
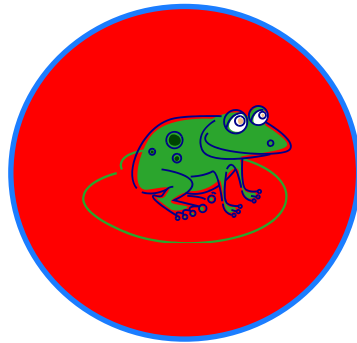
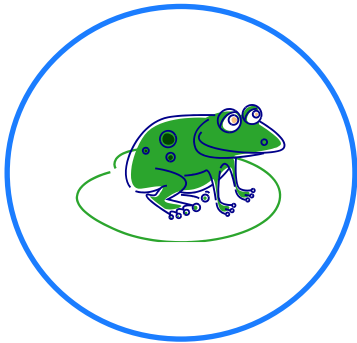
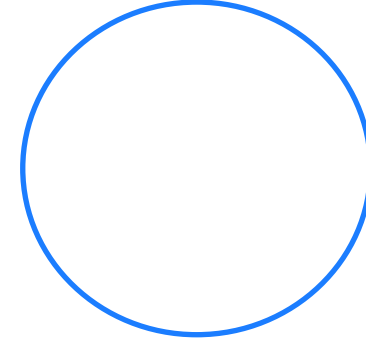
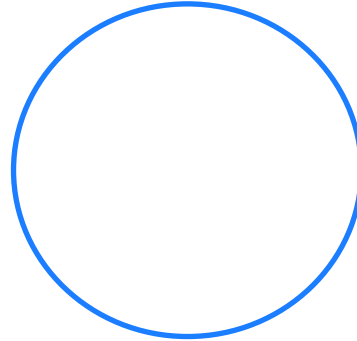
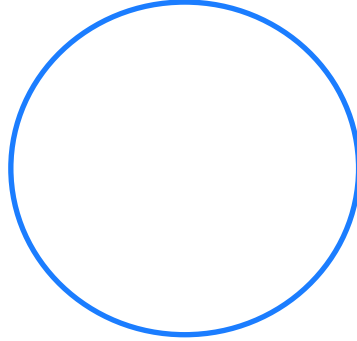
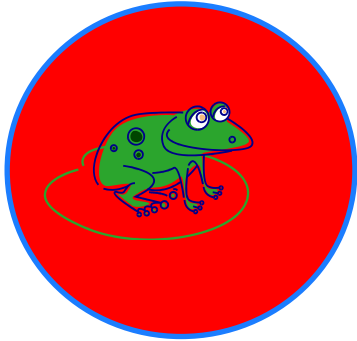
# Do we need to account for detectability?



True occupancy = 0.5



# Do we need to account for detectability?



True occupancy = 0.5

*Imperfect detection probability*

Naïve occupancy = 0.3

# Simple occupancy model

- Multiple sites, multiple occasions
- Detection history for each site
- Examples:
  - 0101
  - 1110
  - 0000
  - ...
- Conceptual model:
  - A site may be occupied or not
  - If the site is occupied, there is some probability of detecting the species

# Formalising the model

- Parameters:
  - $\psi$ : probability the site is occupied
  - $p_j$ : probability species is detected at occasion  $j$
- Construct probabilities

$$\Pr(h_i = 0101) = \psi(1-p_1)p_2(1-p_3)p_4$$

$$\Pr(h_i = 0000) = \psi(1-p_1)(1-p_2)(1-p_3)(1-p_4) + (1-\psi)$$



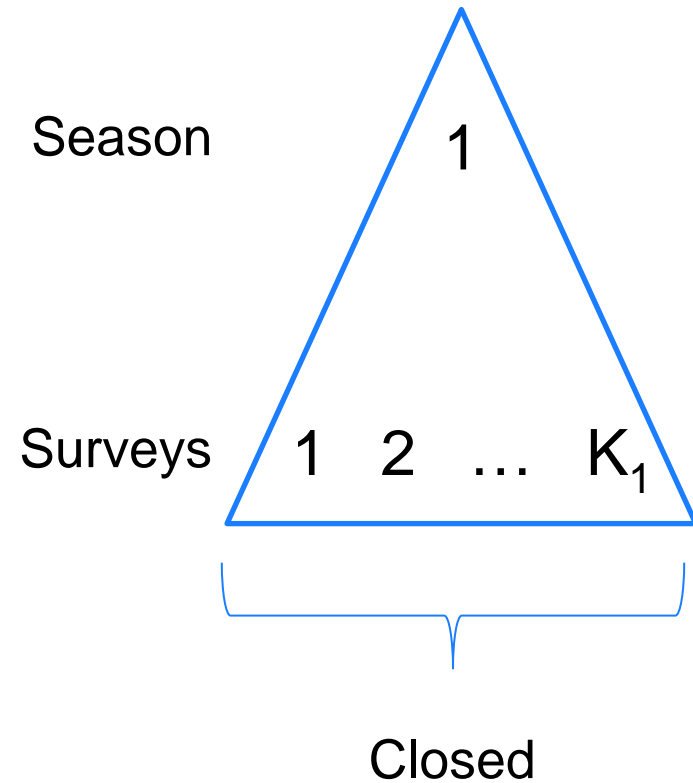
# Multinomial likelihood

$$L(\psi, p|h_1, \dots, h_s) \propto \prod_{i=1}^s \Pr(h_i)$$

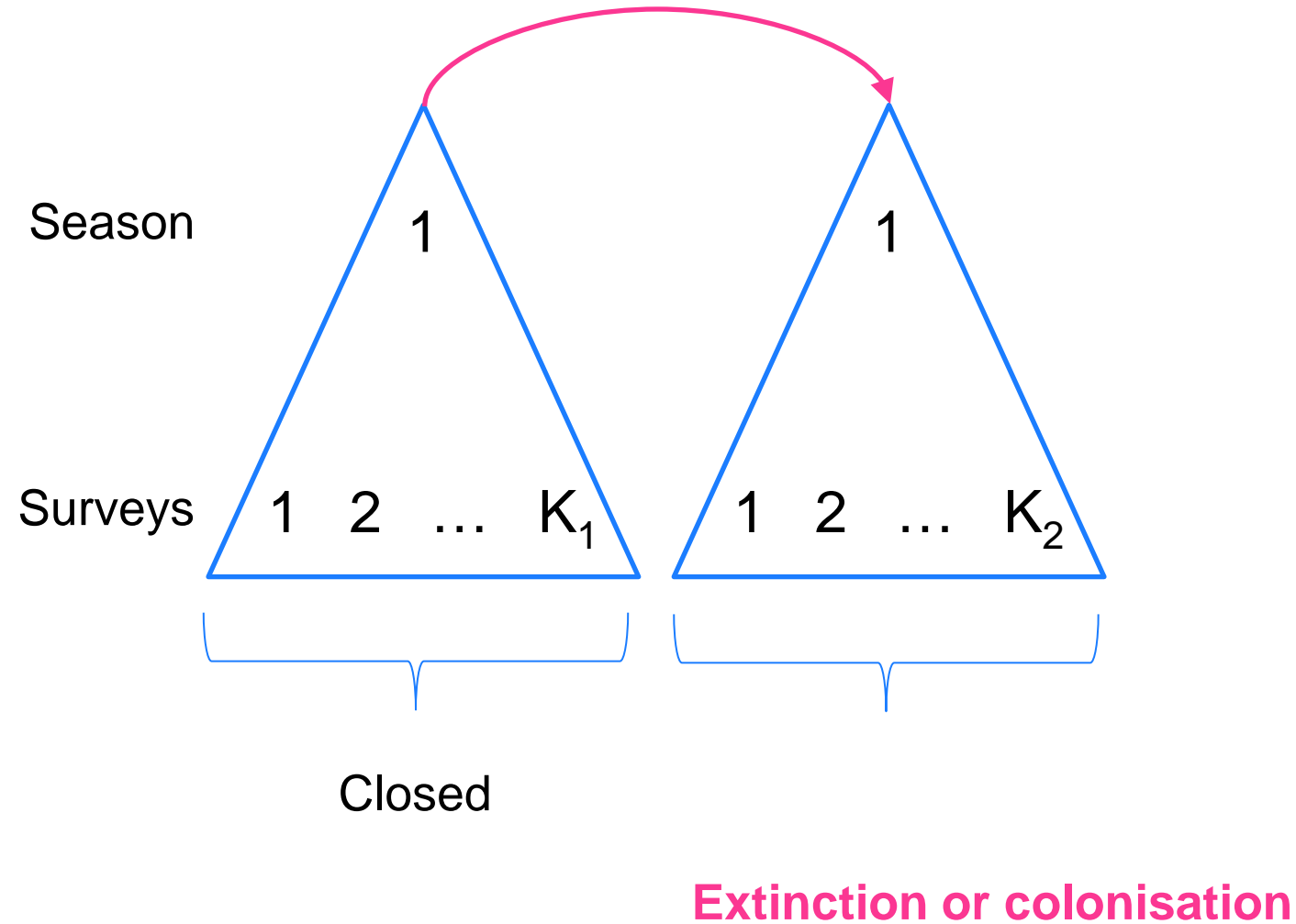
# Alternative models

- Constant detection probability
- Relate detection to covariate values
- Relate occupancy to covariate values
- Incorporate heterogeneity (finite and infinite mixtures – recall capture-mark-recapture work)

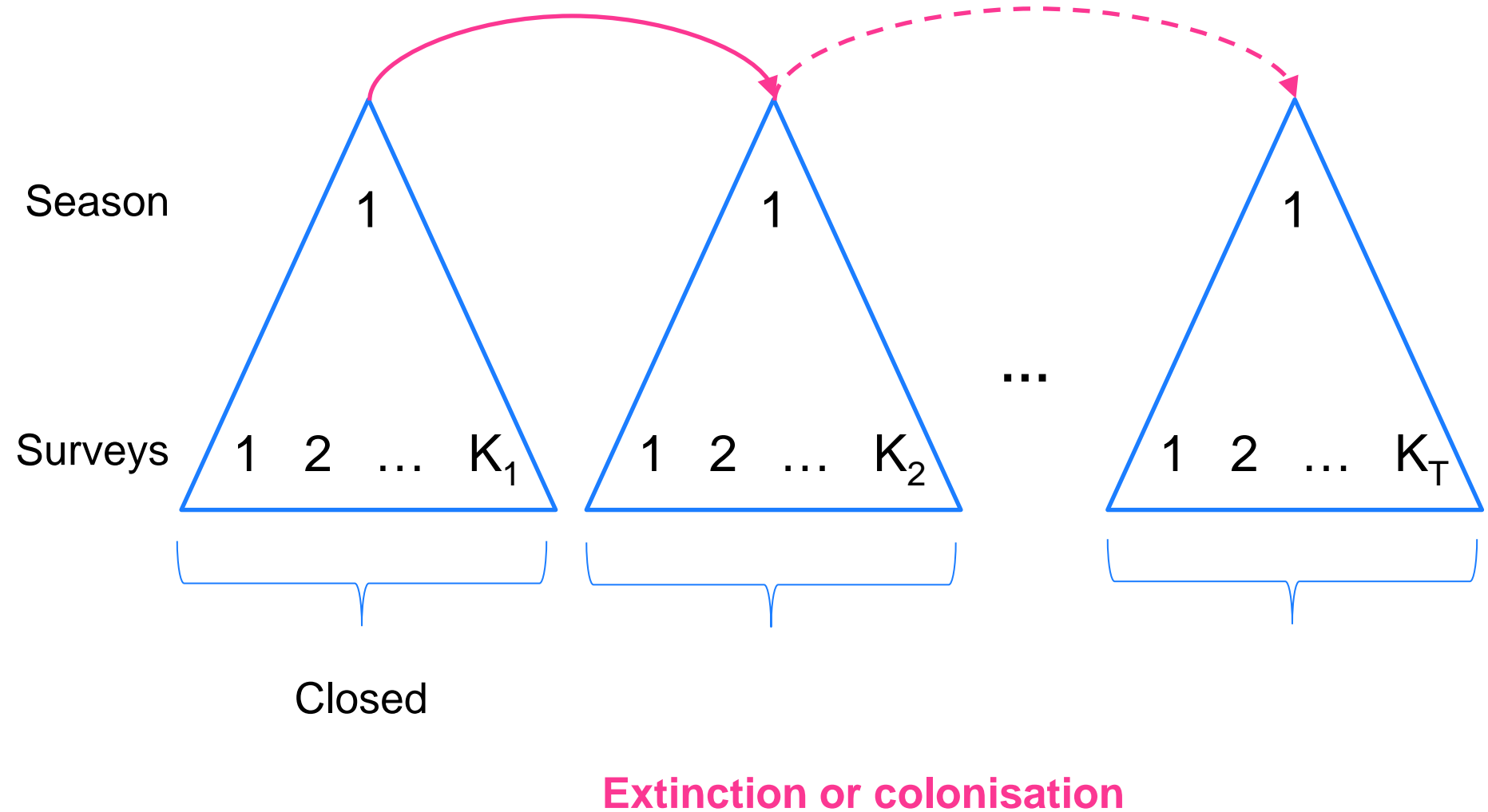
# Advanced models: multiple-season models



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# Advanced models: multiple-season models

- Example detection history:

110      000      010

- New Parameters

## COLONISATION

- $\gamma_t$ : the probability that an unoccupied site in season  $t$  is occupied by the species in season  $t+1$

## EXTINCTION

- $\varepsilon_t$ : the probability that a site occupied in season  $t$  is unoccupied by the species in season  $t+1$

# Advanced models: multiple-season models

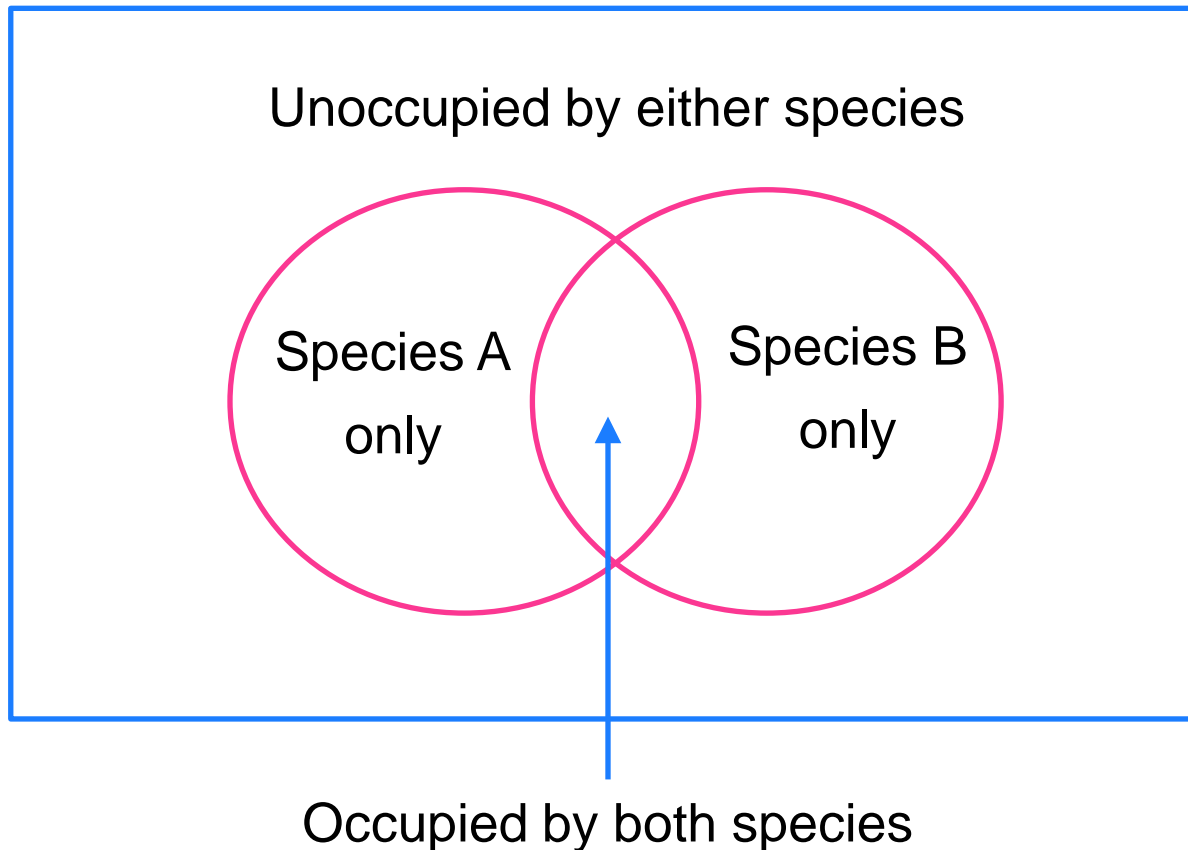
- Example detection history:

110      000      010

- Extended Parameters
  - $\psi_t$ : probability a site is occupied in season  $t$
  - $p_{tj}$ : probability of detecting the species in the  $j^{\text{th}}$  survey of a site during season  $t$

# Advanced models: multiple species models

- Species interactions



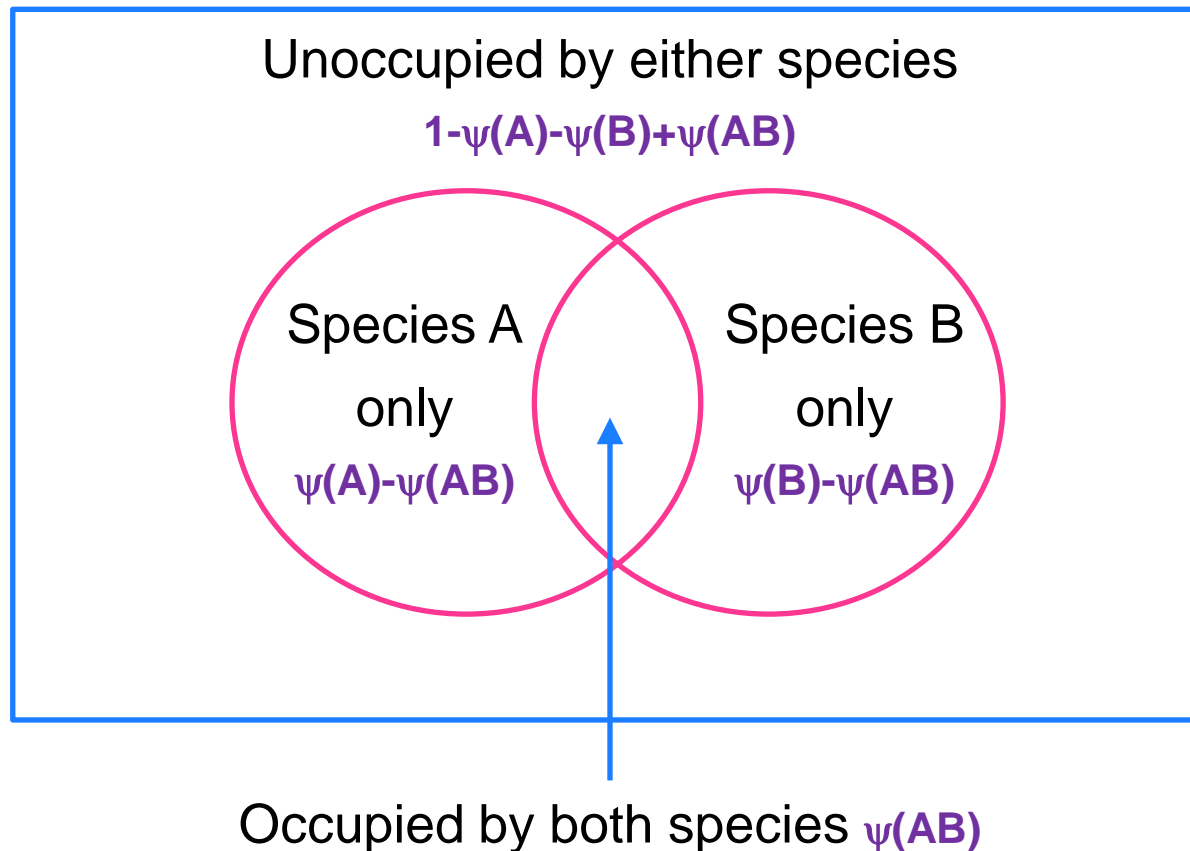


# Advanced models: multiple species models

- Species interactions:
- $\psi(A)$ : probability species A occupies a site
- $\psi(B)$ : probability species B occupies a site
- $\psi(AB)$ : probability both species occupy a site  
site

# Advanced models: multiple species models

- Species interactions



# Advanced models: multiple species models

- $\psi(A)$ : probability species A occupies a site
- $\psi(B)$ : probability species B occupies a site
- $\psi(AB)$ : probability both species occupy a site site
  
- $p_j(A)$ : probability of detecting species A during the  $j^{\text{th}}$  survey, given only species A is present
  
- $p_j(B)$ : probability of detecting species B during the  $j^{\text{th}}$  survey, given only species B is present

# Advanced models: multiple species models

- $r_j(AB)$ : probability of detecting both species during  $j^{\text{th}}$  survey, given both are present
- $r_j(Ab)$ : probability of detecting species A but not B during  $j^{\text{th}}$  survey, given both are present
- $r_j(aB)$ : probability of detecting species B but not A during  $j^{\text{th}}$  survey, given both are present
- $r_j(ab)$ : probability of detecting neither species during  $j^{\text{th}}$  survey, given both are present
  
- $r_j(ab) = 1 - r_j(AB) - r_j(Ab) - r_j(aB)$

# Advanced models: multiple species models

- Depending on parameters of interest, there are reparameterised forms:
- Species interaction factor

$$\varphi = \frac{\psi(AB)}{\psi(A)\psi(B)}$$

- “how much more or less likely the species are to co-occur at a site compared to what would be expected if they co-occurred independently”

# Related models

Presence/absence data



Capture-recapture data

# N-Mixture models

- Spatial and temporal replication
  - Counts rather than presence/absence data
  - Allows estimation of animal abundance
- 
- Royle (2004) N-mixture models for estimating population size from spatially replicated counts. *Biometrics*, **60**, 108-115.
  - Dennis, Morgan and Ridout (2014) Computational aspects of N-mixture models. *Biometrics*. In press.

# Batchmarking models

- Animals are marked in cohorts, but are not distinguished.
  - Colour marking insects
- Comparable to Lincoln-Petersen approach for multiple capture occasions
- Similar analysis approaches to capture-recapture data

Viallefont, Besbeas, Morgan and McCrea (2010) Estimating survival and transition probabilities from aggregate sightings of animals. *Journal of Ornithology*. **152**, S381-391.

Cowen, Besbeas, Morgan and Schwarz (2013) A comparison of abundance estimates from extended batch-marking and Jolly-Seber type experiments. *Ecology and Evolution*. **4**, 210-218.



# Useful References

- MacKenzie, Nichols, Royle, Pollock, Bailey and Hines (2006) *Occupancy Estimation and Modeling: Inferring patterns and dynamics of species occurrence*. Academic Press.
- Guillera-Arroita, Ridout and Morgan (2010) Design of occupancy studies with imperfect detection. *Methods in Ecology and Evolution*. 1, 131-139
- Gurutzeta Guillera-Arroita's website and blog:
- <https://gguilleraresearch.wordpress.com/>